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3-D 비전센서를 위한 고속 자동선택 알고리즘.

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High Speed Self-Adaptive Algorithms for Implementation in a 3-D Vision Sensor

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요 약

이 논문은 다음과 같은 두가지 요소로 구성되는 독창적인 stereo vision system을 논술한다. declivity라는 새로운 개념을 도입한 자동선택 영상 분할처리 (self-adaptive image segmentation process) 와 자동선택 결정변수 (self-adaptive decision parameters) 를 응용하여 설계된 신속한 stereo matching algorithm. 현재, 실내 image의 depth map을 완성하는데 SUN-IPX 에서 3sec가 소요되나 연구중인 DSP Chip의 조합은 이 시간을 1초 이하로 단축시킬 수 있을 것이다.

Abstract

In this paper, we present an original stereo vision system which comprises two process: 1. An image segmentation algorithm based on new concept called declivity and using automatic thresholds. 2. A new stereo matching algorithm based on an optimal path search. This path is obtained by dynamic programming method which uses the threshold values calculated during the segmentation process. At present, a complete depth map of indoor scene only needs about 3 s on a Sun workstation IPX, and this time will be reduced to a few tenth of second on a specialised architecture based on several DSPs which is currently under consideration.

KEY WORD : Stereo Vision System, Self-Adaptive, Dynamic Programming

1. Introduction

3-D vision systems are essential for future intelligent robot since a robot works in a 3-D world. Among the different classic techniques, passive

stereo vision is a very attractive approach especially because of its possibility of working in a large variety of conditions. The goal of stereo algorithms is to determine the three-dimensional distance, or depth, of objects from images taken from different viewpoints.

The computational stereo paradigm consists of three major steps: feature extraction, feature matching and three-dimensional reconstruction.

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Many stereo vision systems have been used in the past using different principles. However, most of these methods are computationally expensive or use fixed parameters. In our study, stereo vision is used as a basic principle in the development of 3-D vision sensor for applications in robots guidance and the navigation of autonomous vechicles. These applications needs fast, robust and self-adaptive algorithms to respond to a large variety of illumination.

We propose here a stereo vision system which comprises the following:

- an innovative fast data processing to extract feature points in the stereo images using self-adaptive decision parameters^[1],
- a new fast stereo matching algorithm based on dynamic programming using self-adaptive parameters^{[3][4]},

II. Feature extraction

To simplify the problem of camera calibration as well as feature extraction and matching, we choose a special stereo system that allows the stereo process to be quicker and the algorithms to be reduced to a one-dimensional problem.

In this configuration (figure 1), the cameras are set up so that their optical axes are parallel and their common baseline is parallel to the image horizontal lines^[5].

Thus, let $P_L(X_L, Y_L)$ and $P_R(X_R, Y_R)$ be the two stereo corresponding points of an object point $P(X_p, Y_p, Z_p)$. Then, the relations used for the three-dimensional reconstruction are the following:

$$\begin{aligned} X_p &= X_R \cdot d / D \\ Y_p &= Y_R \cdot d / D \\ Z_p &= f \cdot d / D \end{aligned} \tag{1}$$

In these relations d is the length of the baseline, D is the horizontal disparity of the stereo corresponding points which is equal to $X_R - X_L$, and f is the focal length of the two cameras.

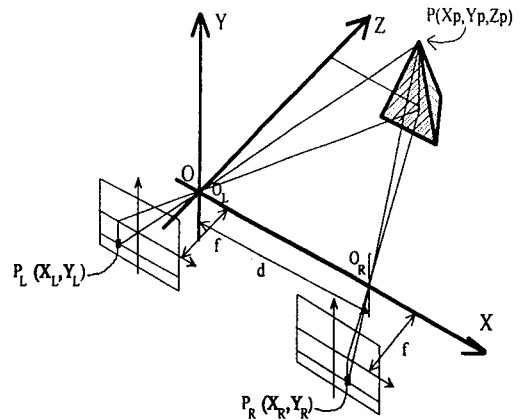


Figure 1. The stereo vision system configuration

With the stereo camera configuration presented above, our segmentation algorithm consists in extracting characteristic elements line by line. This is obtained by a self-adaptive thresholding of the declivities.

In an image line, a declivity is defined as a cluster of contiguous pixels, bounded by two end-points which correspond to two consecutive local extrema of the grey level intensity, i.e. one maximum and one minimum (see figure 2).

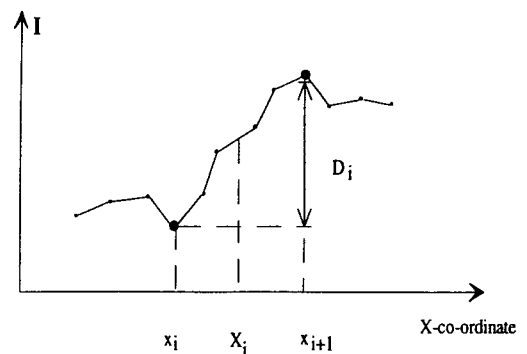


Figure 2. An example of a declivity

According to the definition of a declivity, an image line is equivalent to a set of declivities which can be used as basic elements for segmentation. For this purpose, we consider that declivities can be

sorted by their amplitude into two classes. The first one contains low-amplitude declivities which correspond to noise and non-significant elements. The second class contains high-amplitude declivities. These last ones are used as features in our stereo vision process; in the following they are called characteristic declivities. It will be noticed that they correspond to edges.

From what previous, it appears that feature extraction will be obtained simply by thresholding the declivities amplitudes. For this operation to be self-adaptive, the threshold is computed from a statistical analysis of the image line. Finally, the threshold value d_t is defined by:

$$d_t = 5.6\sigma \quad (2)$$

where σ is the standard deviation of the noise which is considered as a white Gaussian one^[1].

Once characteristic declivities are detected, a major problem is the determination of their real positions. In effect, the accuracy of the 3-D component greatly depends on these positions. Finally, this problem was solved by computing the mean position of the declivity points weighted by the gradients squared as follows:

$$X_i = \frac{\sum_{x=x_i}^{x_{i+1}-1} [I(x+1) - I(x)]^2 (x+0.5)}{\sum_{x=x_i}^{x_{i+1}-1} [I(x+1) - I(x)]^2} \quad (3)$$

where X_i is the position of a declivity.

III. Declivity attributes

We recall that due to the special configuration of the two cameras, the application of the epipolar constraint to the matching problem reduces it to one dimension and implies that two corresponding image lines have the same number. Then, to be matched, declivities must satisfy geometric and photometric similarity which depend on attributes given below.

Let $(R(i,l))$ and $(L(j,l))$ be two sets of declivities

ordered according to their co-ordinates in an arbitrary 1 right and 1 left epipolar lines, with i and j are the indexes of declivities. Each declivity is described by the following attributes:

- its X-coordinate on the image line defined by (3), which is used to calculate the disparity value,
- the grey levels of its three left neighbours pixels,
- and the grey levels of the three right neighbours pixels,

To estimate the photometric similarity between two declivities to be matched, we consider the left and right photometric distances defined by:

$$lpd = \sum_{k=0}^2 |I_R(x_i - k) - I_L(x_j - k)| \quad (4)$$

$$rpd = \sum_{k=0}^2 |I_R(x_{i+1} + k) - I_L(x_{j+1} + k)| \quad (5)$$

where $I_R(x_i - k)$, $I_R(x_{i+1} + k)$ are the grey levels of the k th left and k th right neighbours pixels of the declivity $R(i,l)$ bounded by the extrema x_i and x_{i+1} , and $I_L(x_j - k)$, $I_L(x_{j+1} + k)$ are those of the declivity $L(j,l)$.

IV. The matching algorithm

Our matching algorithm is based on dynamic programming. In this way, a 2-D graph is established whose rows and columns are affected to characteristic declivities of two corresponding lines. Intersections of rows and columns correspond to hypothetical declivity matching. Among them, those that meet the limitation of research area constraint define nodes on the graph. This geometric constraint is explained below.

The matching problem can be treated as the problem of finding an optimal path on this graph using the non-reversal constraint in primitives as well as the uniqueness constraint. To select this path, classic methods tend to minimise a cost

function^{[6][7]}. The main difficulty with this approach is that the cost value can increase indefinitely which affects the computation algorithm. In our approach, we chose to maximise a global gain.

The matching algorithm consists in three steps.

In the first step, a 2-D graph is established as above explained from the sets $(R(i,l))$ and $(L(j,l))$ of characteristic declivities of two corresponding lines. In this step, the limitation of research's area constraint is defined by:

$$0 < X_{Ri} - X_{Lj} < \text{disp max} \quad (6)$$

where X_{Ri} and X_{Lj} are the X-coordinates of the declivities $R(i,l)$ and $L(j,l)$ respectively, and dispmax is the maximum value of the disparity which has to be determined for each application environment.

In the second step, a local gain is allocated to each node of the graph. It is a non-linear function of the photometric distance expressed by:

$$\text{gain} = f(\text{gmax}) - \text{lpd} - \text{rpd} \quad (7)$$

The term $f(\text{gmax})$ has a double object. First it ensures the self-adaptivity of the gain by gmax which is defined by:

$$\text{gmax} = 0.5(d_{iR} + d_{iL}) \quad (8)$$

where d_{iR} and d_{iL} are the right and left self-adaptive threshold values defined by (2) respectively. Then, it enables to take account partially masked objects which induces three case of similarity: right and left, only right or only left. Thus the following formulas are used:

- If $\text{lpd} < \text{gmax}$ and $\text{rpd} < \text{gmax}$, then $f(\text{gmax})$ is initialised to 3gmax .
- If $\text{lpd} < \text{gmax}$ or $\text{rpd} < \text{gmax}$, then $f(\text{gmax})$ is initialised to gmax .
- If $\text{lpd} > \text{gmax}$ and $\text{rpd} > \text{gmax}$, then the corresponding hypotheses are rejected.

The gain of the path (global gain) is the sum of those of its primitive paths. The gain is defined as follows: let $G(m,n)$ be the maximum gain of the partial path from an initial node - not necessarily $(1,1)$ - to node (m,n) as shown in figure 3, and let $g(m,n,i,j)$ be the gain corresponding to the primitive path from node (m,n) to node (i,j) , with $l \leq m < i$ and $l \leq n < j$, and which, in fact, only depends on the node (i,j) as defined by (7).

Finally, $G(i,j)$ is given by:

$$G(i,j) = \text{Max}_{(m,n)} [G(m,n) + g(m,n,i,j)] \quad (9)$$

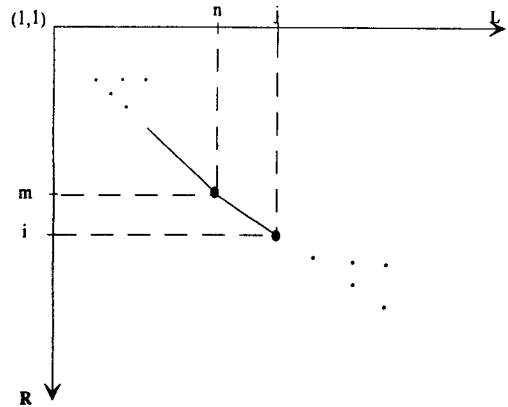


Figure 3. The matching graph elements

As a result, we obtained several paths from the origin node to the final node in the graph (an experimental example is given on figure (4)).

In the final step, the path with the maximum global gain is selected which gives the matching declivities. From this, we can thus deduct a disparity value: $\text{disp} = X_{Ri} - X_{Lj}$, then, every declivity in the right epipolar line is assigned to its disparity value. For points which do not correspond to declivities, the disparity is assigned by interpolation. A simple interpolation is done between declivities positions where the disparity is obtained. Finally, finding the 3-D position of the object is obtained from (1).

V. Experimental results

Some experiments were performed on an IPX SUN workstation (running UNIX). Digitised images have a size of 512 x 512 with an intensity resolution of 256. Our algorithms have been implemented in C language and tested on indoor scene images as well as on outdoor ones. In this paper, we only present results concerning an indoor scene.

Experimental parameters are: $f=8$ mm for the local length of the two cameras, $d=8$ cm for the base line length and $\text{dispmax}=60$.

Results of the declivities detection by our segmentation algorithm are shown in photo 3 and 4. The complete run-time for declivity extraction in a line

of the indoor scene (photos 1 and 2) is only 3.1 ms on an IPX, and 2.3 ms on a DSP TMS 320C30 from Texas Instruments. The positions of characteristic declivities are known with sub-pixel accuracy.

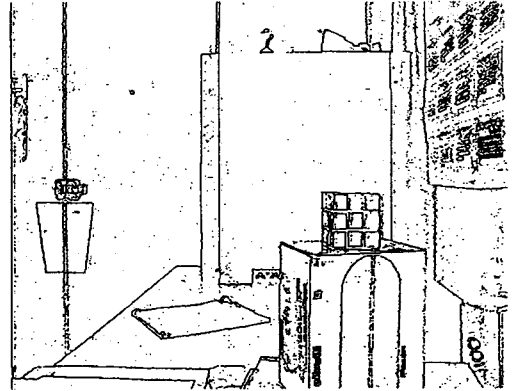


Photo 3. Left declivities detection.

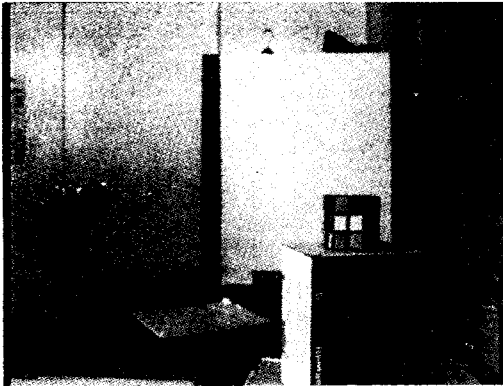


Photo 1. Left stereo image.

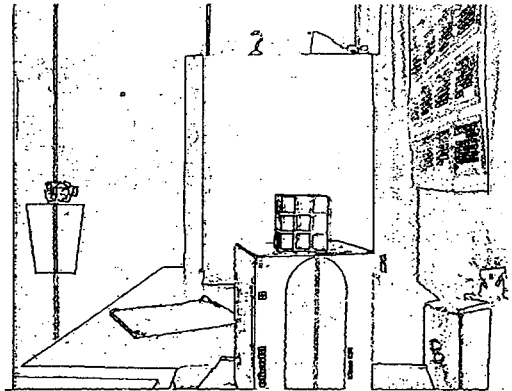


Photo 4. Right declivities detection.



Photo 2. Right stereo image.



Photo 5. Depth map.

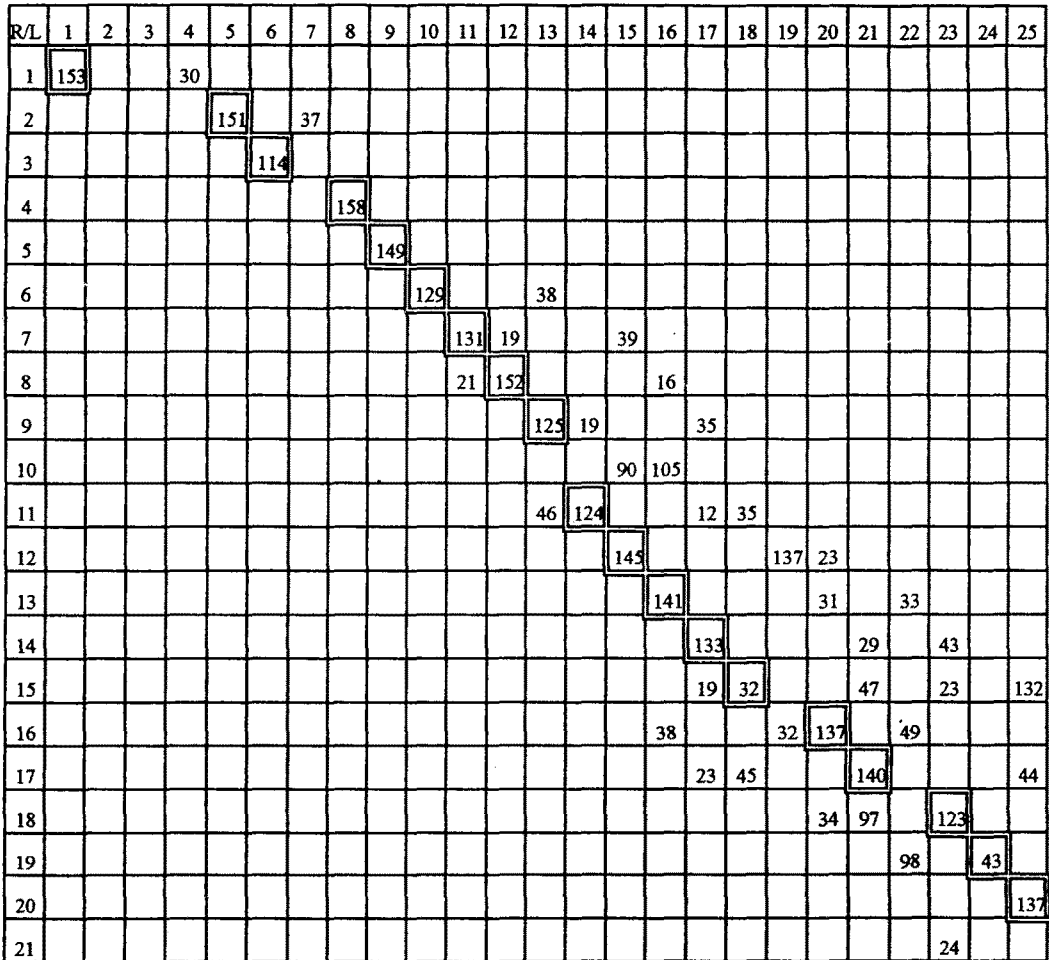


Fig. 4. An example of an experimental matching graph

Concerning the matching algorithm, we obtained very satisfactory results: we only need 3.0 ms to match two image lines with about 30 declivities or 2.2 ms on a DSP, and, on average, more than 98% of declivities appear to be correctly matched.

An example of an experimental matching graph is given on figure 4; the vertical axis represents indexes of declivities in the right scanline and the horizontal one represents those in the corresponding left scanline. In this graph, the optimal path is shown: it is constituted by double edged nodes.

Once applied the matching algorithm to the whole image, we obtain a depth map (photo 5) which is coded using grey level value as follows: high grey

level points are closer to the viewer.

The computation time for a complete processing of a depth map is only about 3 s on the IPX workstation and 2.3 s on DSP.

Using these depth maps, we deduct computed distances (Z_p) of some objects in the scene. The result of computed distances is satisfactory. Indeed, on average, the errors are of the order of 4% in Z of around 1m and 11% in Z of around 4m.

VI. Conclusion

The purpose of our study is the realisation of a 3-D vision sensor which can be used in the field of

the navigation of robots and autonomous vehicles.

These applications require fast, self-adaptive algorithms which can be processed by parallel processors. This was obtained by means of a special configuration and a highly parallelisable stereo vision process based on the declivity feature matched by dynamic programming.

To get benefit of the parallelisable characteristic of our algorithms, we are currently implementing our method on machine vision which comprises several DSPs thanks to which we expect a complete depth map computation time to be reduced to few tenths of second.

Recently, an axial motion process of dynamic scenes have been presented^[8], it is based on the technique presented in this paper.

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