

FRICION AND WEAR AT SLIDING CERAMIC SURFACES

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Is it important?

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INTRODUCTION

1. Ceramics as Engineering Materials

Ceramic ?

: 'material based on inorganic non-metallic compounds'

Oxygen, Carbon, Nitrogen with metal (Al, Si)

- cheap, plentiful and widespread element in the Earth
- dirt: ceramic

* The Generic Ceramics

GLASSES

GLASS	COMPOSITION	TYPICAL USES
Soda-lime glass	70 SiO ₂ , 10 CaO, 15 Na ₂ O	Windows, Bottles
Borosilicate Glass	80 SiO ₂ , 15 B ₂ O ₃ , 5 Na ₂ O	Pyrex; cooking and chemical glassware

Vitreous Ceramics

Ceramic	Typical Composition	Typical Uses
Porcelain	Clays	Electric insulator
China	(hydrous alumina-silicates)	Artware and
Pottery	$\text{Al}_2(\text{SiO}_5)(\text{OH})_4$	Table ware, tiles
Brick		Construction, refractory uses

Forming - Dry - Firing

**Characteristics: hard, long-life, light,
high service temperature**

Weak at dynamic thermal and mechanical stress

Natural Ceramics

Ceramic	Typical Composition	Typical Uses
Lime stone (Marble)	Largely CaCO_3	
Sand stone	Largely SiO_2	Construction
Granite	Aluminium Silicates	
Ice	H_2O	Arctic Engineering: Off-shore Plant

durable: Pyramids 5000 ; Parthenon 2200 years old

high load-bearing capacity

TROUBLE: Inherent Brittleness

Cement and Concrete

**Cement: mixture of a combination of lime (CaO),
silica (SiO₂) and alumina (Al₂O₃) + water**

Concrete: sand + stones + cement

High-performance Engineering Ceramics

Ceramic	Compositions	Typical Uses
Diamond	C	
Dense alumina	Al₂O₃	cutting tools, dies
Silicon Nitride	Si₃N₄	wear-resistant surfaces,
Silicon Carbide	SiC	bearings, medical implants,
Sialons	Si₂AlON₃	engine and turbine part,
Zirconia	ZrO₂	armours

**Strength of a ceramic: hardness, toughness,
surface/subsurface flaw size**

APPLICATIONS

1. Ceramic Engine (PSZ, Silicon-Nitride, Alumina, SiC)

Target: increasing thermal efficiency of engine

- increase T_H (without water cooling)
- re-cycle T_L (using Turbocharger, turbocompound)

Requirement:

- good friction and wear resistance
- good thermal insulation
- durability
- economical

Limitations:

- low toughness (require $K_{IC} > 8.5 \text{ MPa m}^{1/2}$)
- thermal expansion mismatch
- lubrication (gas lubrication?, new lubricant ?)

Example:

- Adiabatic Turbocompound Diesel Engine
by CUMMINS ENGINES CO.

2. Turbine Wheel (SiC, Silicon Nitride, Silica)

requirements:

- good mechanical strength
- good chemical stability (anti-corrosion, anti-oxidation)
- low coefficient of thermal expansion
- light weight

Limitation:

- weak at erosion wear
- difficult to manufacture (HIP ?)

3. Machining Tools (Alumina, WC, TiC, TiN, Si₃N₄, Diamond)

- good mechanical strength
- good chemical stability

4. Thermal Insulation (SiO₂ tile, Reinforced Carbon-Carbon)

5. Application to Bio-mechanical materials

(Artificial bone, joint, tooth)

6. Application to Electrical Insulator (porcelains)

7. Application to Chemical components (Borosilicate glass)

8. Application to Magnetic materials (Ferrite; MO Fe₂O₃)

9. Application to Sensors (TiO₂, ZnO, Fe₂O₃, SnO, etc.)

Requirements for Engineering Ceramics

- good mechanical strength: high hardness
 low density
 high toughness
 anti-wear and friction
- good dimensional stability: low thermal expansion
- good thermal properties and chemical stability

Major problems in using ceramic

- inherent brittleness under tensile stress,
 impact load,
 thermal shock
- high coefficient of friction at dry sliding

New Aspects of Using Ceramic Machine Element

- from static contact to dynamic sliding/rolling contact
- application to high sliding velocity under dry contact

2. BASIC APPROACH TO THE SUBJECT

(1) Modelling of Surface Temperature due to Frictional

Heating at Dry Sliding Contacts:

- Heat Flow Analysis under various contact geometry

- Modelling of Mechanical Contact Behaviour

: at real asperity contact junction

(contact area, number, interaction)

'Flash Temperature'

: at nominal contact area

'Bulk Temperature'

- Modelling of Friction Coefficient

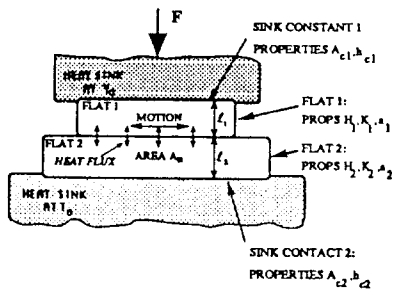
(2) Construction of Temperature Map (T-MAP 004)

(3) Experimental Measurement and Comparison Study

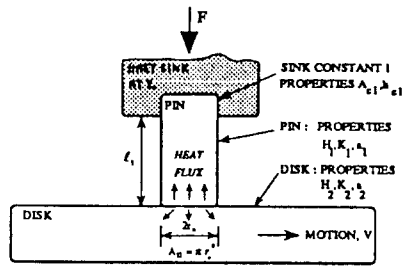
- direct temperature measurement

- experimental data from open literatures

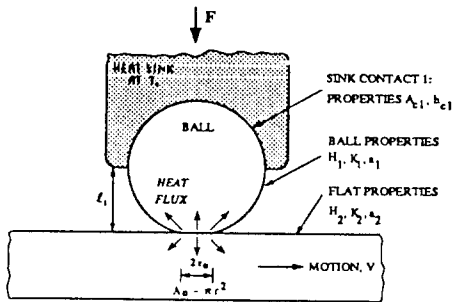
(thermocouples, Infra-red techniques)



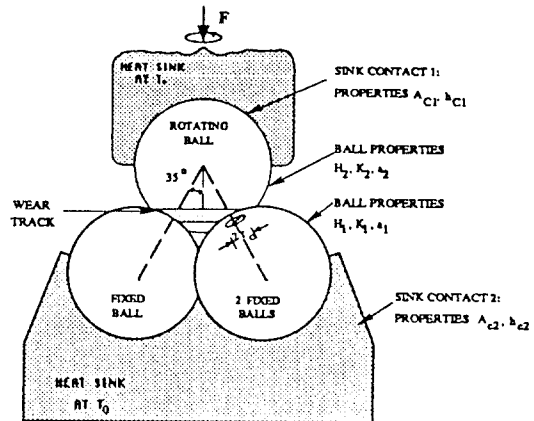
A. Flat-on-Flat



B. PIN-on-Disk



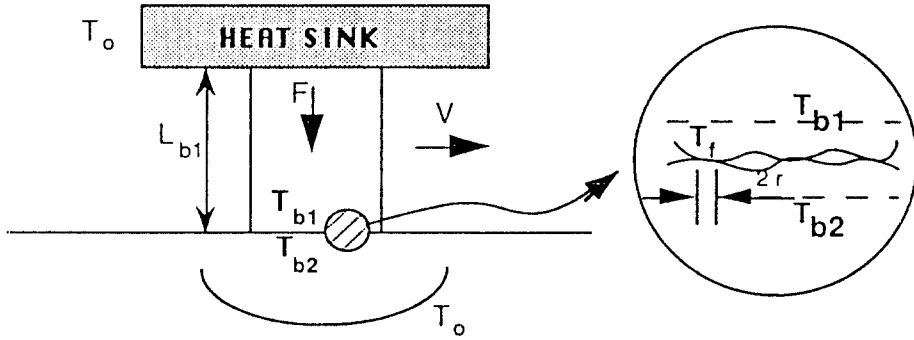
C. BALL-on-DISK



D. FOUR-BALL

Figure 4.1. The Four Configurations for which the Temperatures Calculation are performed.

5. Pin-on-Disk Sliding Contact.



$$k_1 \left(\frac{T_{b1} - T_0}{L_{b1}} \right) + k_2 \left(\frac{T_{b2} - T_0}{L_{b2}} \right) = \frac{\mu F V}{A_n}$$

$$\therefore T_b = T_o + \frac{\mu F V}{A_n} \left(\frac{1}{\frac{K_1}{L_{b1}} + \frac{K_2 \sqrt{\pi}}{r_o \tan^{-1} \left(\frac{2\pi a_2}{r_o V} \right)}} \right)$$

Friction Coefficient μ

$\mu = f(F, V, \text{roughness, contamination, etc.})$
 abrasive + plowing + adhesive + etc.....

using a semi-empirical relationship, let's assume;

$\mu = \mu_o$ (V < Vc : Velocity for asperity melting)

$$\mu = \mu_o \exp\left\{-\frac{\log \frac{V}{V_c}}{\log C_1} (1 - C_2 \log \bar{F})\right\}$$

for steel $C_1 = 250$, $C_2 = 0.33$ using a least square fit

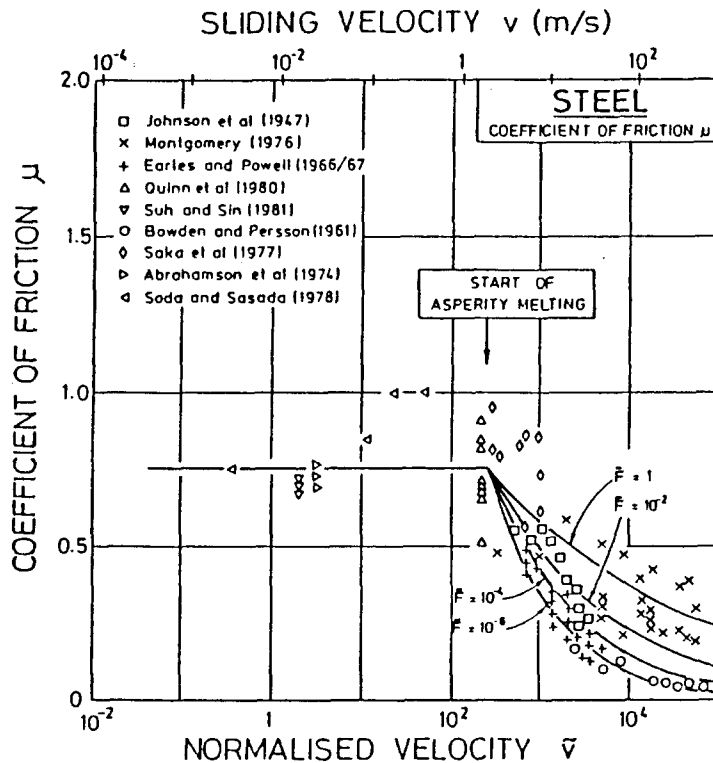
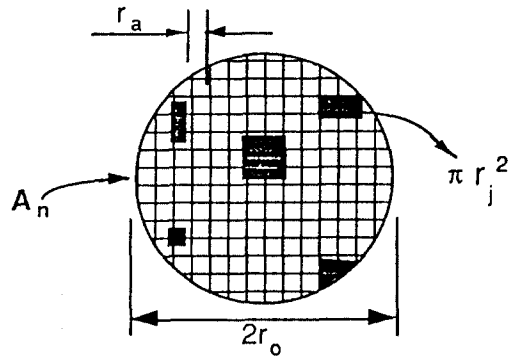


Figure 2. The equation for the coefficient of friction (equation 11) valuated for $\mu_o = 0.75$, $C_1 = 500$ and $C_2 = 0.3$, compared with experimental data. Asperity melting starts at $v_o = 2$ m/s.

Asperity Junction Radius, $r_j = f(F, \mu)$



Asperity Contact in a nominal contact area

$$dN_j = \left(1 - \eta \frac{N}{N_t}\right) dN = \left(\frac{r_o}{r_a}\right)^2 \left(1 - \eta \frac{A_r}{A_n}\right) d\left(\frac{A_r}{A_n}\right)$$

$$N_j = \left(\frac{r_o}{r_a}\right)^2 \frac{\bar{F}}{\bar{F}_s} \left(1 - \frac{\bar{F}}{\bar{F}_s}\right) + \frac{\bar{F}}{\bar{F}_s} \quad \text{by M.F.Ashby and his colleges}$$

$$\pi r r_j^2 N_j = A_r \quad \text{and} \quad \frac{A_r}{A_n} = \frac{F}{F_s} \quad \text{for ideal plastic contacts}$$

$$\frac{r_j}{r_o} = \left[\frac{1}{\left(\frac{r_o}{r_a}\right)^2 \left(1 - \frac{F}{F_s}\right) + 1} \right]^{1/2}$$

where r_a : radius of a single isolated asperity

r_j : radius of a contact junction ($r_a < r_j < r_o$)

r_o : radius of a nominal contact area

TABLE 4.1 : BULK SURFACE TEMPERATURE EQUATIONS

$$T_b - T_o = \frac{\mu F v}{A_n} \left[\frac{1}{\frac{k_1}{l_{1b}} + \frac{k_2}{l_{2b}}} \right]$$

Configuration 1 : Flat on Flat

$$l_{1b} = l_1 + \frac{A_n k_1}{A_{c1} h_{c1}} = L_1 r_o$$

$$l_{2b} = l_2 + \frac{A_n k_2}{A_{c2} h_{c2}} = L_2 r_o$$

Configuration 2 : Pin on Disk

$$l_{1b} = l_1 + \frac{A_n k_1}{A_{c1} h_{c1}} = L_1 r_o$$

$$l_{2b} = \frac{r_o}{\sqrt{\pi}} \tan^{-1} \left[\frac{0.9 \pi a_2}{r_o v} \right]^{1/2} = L_2 r_o$$

Configuration 3 : Ball on Flat

$$l_{1b} = \frac{\pi^{1/2} r_o}{2} + \frac{A_n k_1}{A_{c1} h_{c1}} = L_1 r_o$$

$$l_{2b} = \frac{r_o}{\sqrt{\pi}} \tan^{-1} \left[\frac{0.9 \pi a_2}{r_o v} \right]^{1/2} = L_2 r_o$$

Configuration 4 : Four Balls

$$l_{1b} = \frac{r_o}{\sqrt{\pi}} \tan^{-1} \left[\frac{0.9 \pi a_2}{r_o v} \right]^{1/2} + \frac{3r_o^2}{R} = L_1 r_o$$

$$l_{2b} = \frac{\pi^{1/2} r_o}{2} = L_2 r_o$$

TABLE 4.2 : FLASH SURFACE TEMPERATURE EQUATIONS

$$T_f - T'_b = \frac{\mu F v}{A_r} \left[\frac{1}{\frac{k_1}{\ell_{1f}} + \frac{k_2}{\ell_{2f}}} \right]$$

For all configurations

$$T'_b = T_b - \frac{A_r}{A_n} (T_b - T_o)$$

$$\frac{A_r}{A_n} = \frac{F}{F_s}$$

$$\ell_{1f} = \frac{r_j}{\sqrt{\pi}} \tan^{-1} \left[\frac{0.9 n_1 \pi a_1}{r_j v} \right]^{1/2} \left(\approx \frac{\pi^{1/2}}{2} r_j \text{ when } v \text{ small} \right)$$

$$\ell_{2f} = \frac{r_j}{\sqrt{\pi}} \tan^{-1} \left[\frac{0.9 n_2 \pi a_2}{r_j v} \right]^{1/2} \left(\approx \frac{\pi^{1/2}}{2} r_j \text{ when } v \text{ small} \right)$$

with

$$r_j = r_o \left\{ \left(1 - \frac{F}{F_s} \right) \left[\frac{r_o}{r_a} \right]^2 + 1 \right\}^{-1/2}$$

$$F_s = \frac{A_n H_o}{\sqrt{1 + 12 \mu^2}}$$

$H_o = \text{Least of } (H_1, H_2)$

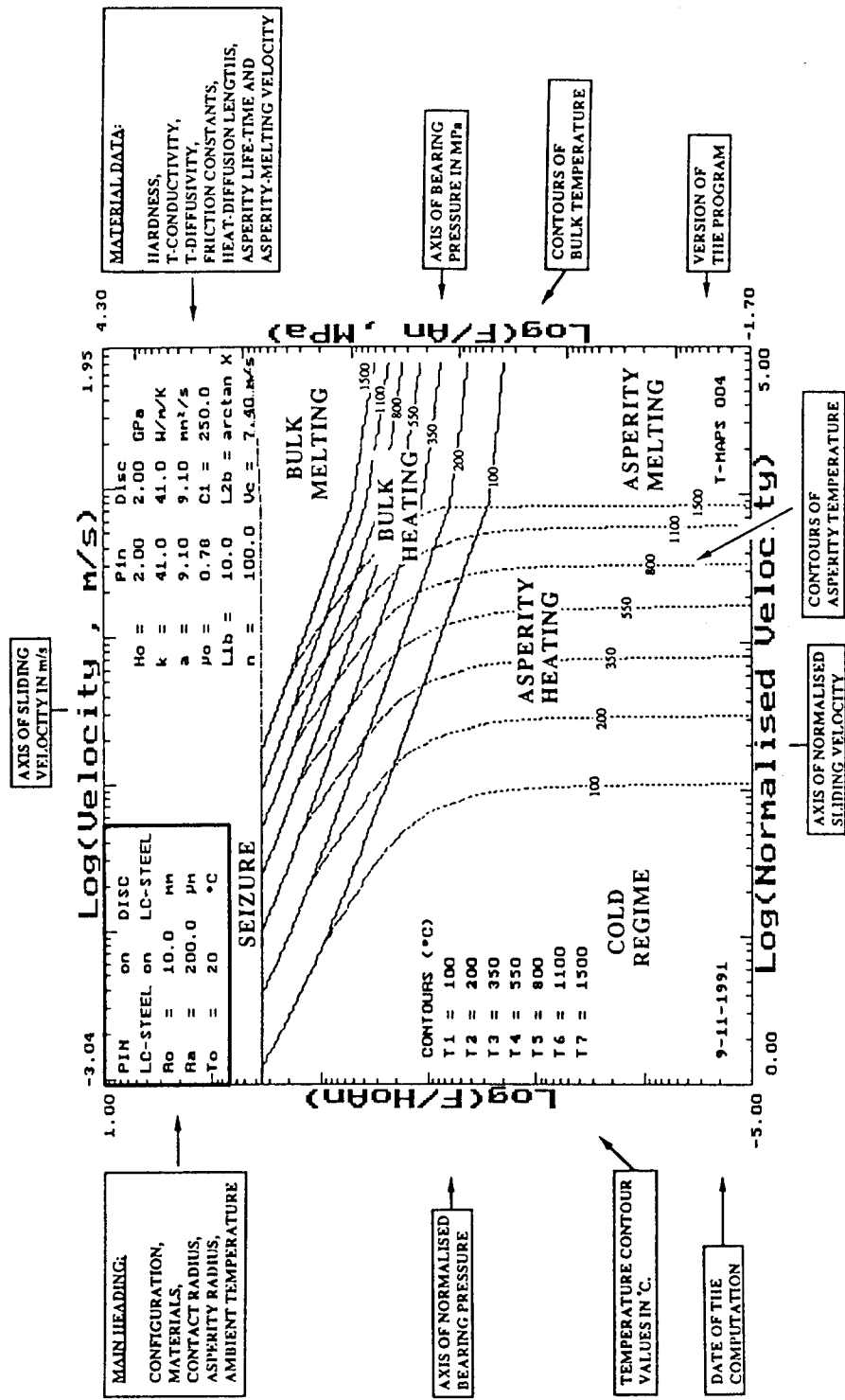


Figure 4.3. A Temperature Map for a Low-Carbon Steel Pin Sliding on a Disk of the Same Material, identifies in the Features of the Map.

3. Applications to
Several Practical Friction and Wear Process

(1) Friction Welding

(2) Friction Cutting

(3) Striking a Match

(4) Curling

(5) Head-Crash Damage to Magnetic Storage-Disks

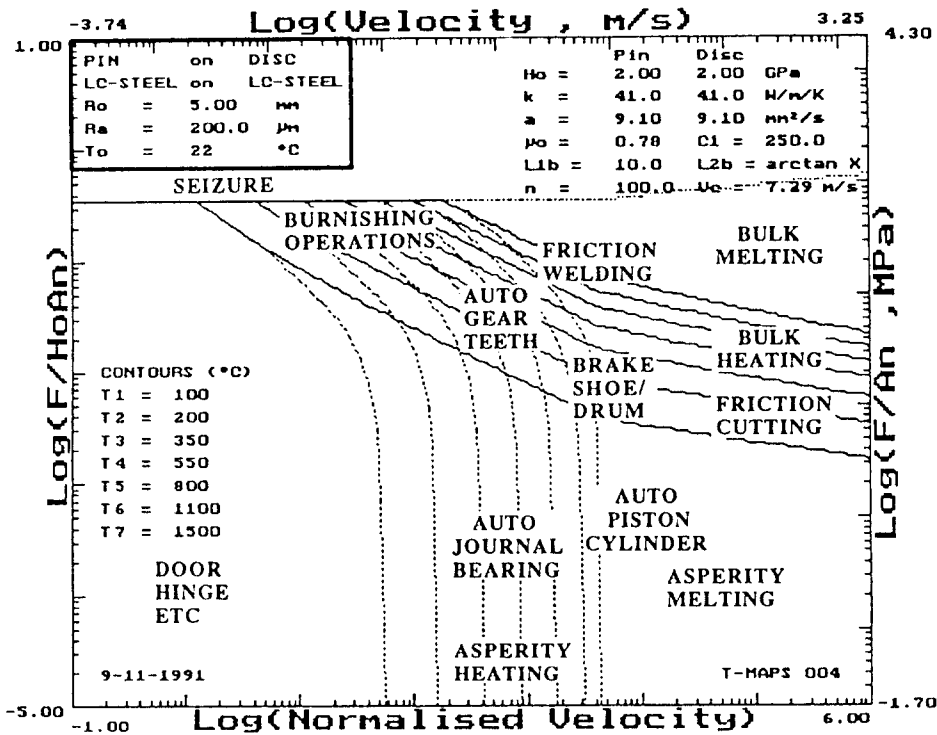


Figure 6.1. The Temperature Map with the Conditions of a Number of Applications Plotted on it.

4. Friction and Wear Tests of Brittle Solids

(Thermo-mechanical Wear)

- Test of Soda-lime Glass
- Test on Rosin
- Test of Alumina (two sorts of alumina of different grain size)

5. THEORETICAL MODELLING OF CERAMIC WEAR

- Wear by Brittle Fracture
- Wear by Thermo-mechanical Fracture
- Wear by Bulk Heating
- Wear by Bulk Melting

TARGETS:

- to specify dominant wear mechanisms under a wide ranges of operating conditions
- to describe and to qualify wear mechanism transition behaviour
- to get a prediction power to quantify wear-rate of each dominant wear regime if possible

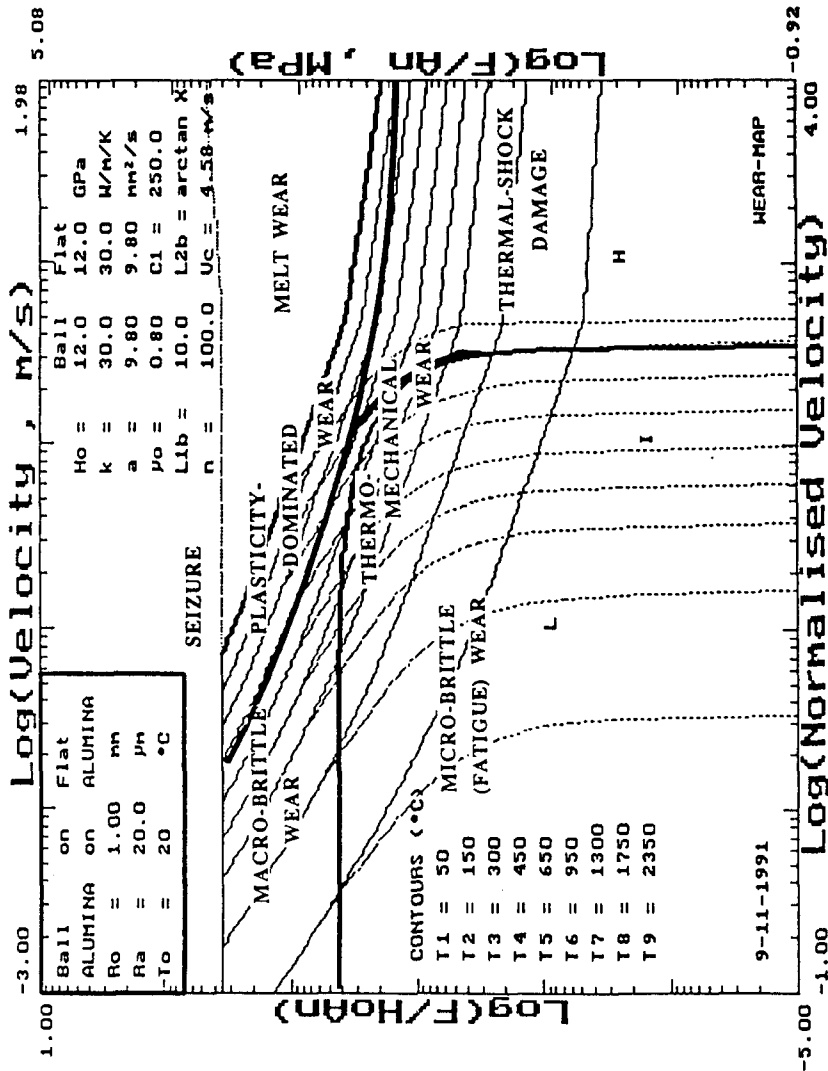


Figure 7.24. Wear mechanism map for alumina ball sliding on alumina disk (based on Figure 7.23), showing characteristic wear-transition boundaries of Macro-Brittle wear, of Micro-Brittle (Fatigue) wear, of Thermo-Mechanical wear, of Thermal-Shock damage, of Plasticity-dominated wear and of Melt wear.